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# Diggital Image Processing 

## تماربن تابع للمحاضبرة الر ابعة و الخامسـة Image Enhancement

Let $x$ :old image
S:new image
$\mathrm{S}=\mathrm{x}+\mathrm{c}$ where c is constant value
>> S=imadd(x,50);// ----------------brighter image
$S=x-c$ where $c$ is constant value
>> S=imsubtract(x,50);// --------------darker image

We can add 2 image :
>> S=x+y;//---------- (where $x$ and $y 2$ image have same size)

## - Example 1:

the following matrix represents the pixels values of an 8-bit image ( $r$ ) , apply negative transform and find the resulting image pixel values.

## solution:

$$
\begin{aligned}
& L=28=256 \\
& s=L-1-r \\
& s=255-r
\end{aligned}
$$

Apply this transform to each pixel to find the negative

Image ( r )

| 100 | 110 | 90 | 95 |
| :--- | :--- | :--- | :--- |
| 98 | 140 | 145 | 135 |
| 89 | 90 | 88 | 85 |
| 102 | 105 | 99 | 115 |

Image (s)

| 155 | 145 | 165 | 160 |
| :--- | :--- | :--- | :--- |
| 157 | 115 | 110 | 120 |
| 166 | 165 | 167 | 170 |
| 153 | 150 | 156 | 140 |

- Exercise:
the following matrix represents the pixels values of a 5-bit image ( $r$ ), apply negative transform and find the resulting image pixel values.


## solution:

Image $(\mathrm{r})$

| 21 | 26 | 29 | 30 |
| :--- | :--- | :--- | :--- |
| 19 | 21 | 20 | 30 |
| 16 | 16 | 26 | 31 |
| 19 | 18 | 27 | 23 |



- The negative of an image can be obtained also with function imcomplement: $g$ = imcomplement (f);

Logarithmic transformations are implemented using the expression:

$$
g=c * \log (1+\text { double }(f))
$$

But this function changes the data class of the image to double, so another sentence to return it back to uint8 should be done:

$$
\text { gs = im2uint8 (mat2gray }(\mathrm{g}) \text { ); }
$$

Use of mat2gray brings the values to the range [0 1 ] and im2uint8 brings them to the range [0255]
$\gg f=$ imread('baby.jpg');
$\gg g=\log (1+\operatorname{double}(f)) ;$
$\gg \mathrm{gs}=$ im2uint8(mat2gray(g));
>> imshow(f), figure, imshow (g), figure, imshow(gs);

f
.

g

gs
high_out

Function imadjust is the basic IPT tool for intensity transformations of gray-scale images. It has the syntax:
>> g = imadjust (f, [low_in high_in], [low_out high_out], gamma)

This function maps the intensity values in image $f$ to new values in $g$, such that values between low_in and high_in map to values between low_out and high_out.

Values below low_in and above high_in are clipped; that is values below low_in map to low_out, and those above high_in map to high_out.

- The input image can be of class uint 8 , uint 16 , or double, and the output image has the same class as the input.
All inputs to function imadjust, other than $f$, are specified as values between 0 and 1 , regardless of the class of $f$.
- If $f$ is of class uint8, imadjust multiplies the value supplied by 255 to determine the actual values to use; if $f$ is of class uint 16 , the values are multiplied by 65535.
Using the empty matrix ([]) for [low_in high_in] of for [low_out high_out] results in the default values [0 1].
- If high_out is less than low_out, the output intensity is reversed .
- Parameter gamma specifies the shape of the curve that maps the intensity values of $\mathbf{f}$ to create $\mathbf{g}$.
- If gamma is less than 1, the mapping is weighted toward higher (brighter) output values, as fig 3.2 (a) shows.
- If gamma is greater than 1 , the mapping is weighted toward lower (darker) output values.
- If it is omitted from the function arguments, gamma defaults to 1 (linear mapping).

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>> f = imread ('baby.jpg');
$\gg \mathrm{g}=$ imadjust (f, [lllll, [10]);
>> imshow( f ), figure, imshow ( g );
This Obtaining the negative image


g
>> $\mathrm{g}=$ imadjust ( $\mathrm{f},\left[\begin{array}{lll}0.5 & \left.0.75],\left[\begin{array}{ll}0 & 1\end{array}\right], .5\right) \text {; }\end{array}\right.$
$\gg$ imshow(f), figure, imshow (g);

f

g

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>> g = imadjust ( $\mathrm{f},\left[\begin{array}{ll}0.5 & 0.75],[0.61], 0.5) ; ~\end{array}\right.$
>> imshow(f), figure, imshow (g);


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>> g = imadjust (f, [ ], [ ], 2);
>> imshow(f), figure, imshow (g);



Pixels less than 90 become 0

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$$
\begin{gathered}
\mathrm{T}=\left\{\begin{array}{l}
\text { If } \mathrm{r}>180 ; \mathrm{s}=255 \\
\text { If } \mathrm{r}<180 \text { and } \mathrm{r}>90 ; \mathrm{s}=\mathrm{T}(\mathrm{r}) \\
\text { If } \mathrm{r}<90 ; \mathrm{s}=0
\end{array}\right. \\
\quad s=T(r)=\frac{1}{1+(m / r)^{E}}
\end{gathered}
$$

- Econtrols the slope of the function.
- in the graph, suppose we have the following intensities:
$a=90, b=180, m=100$

This equation is implemented in MATLAB for the entire image as:

$$
g=1 . /\left(1+(m \cdot /(\text { double }(f)+e p s)) \cdot{ }^{\wedge} E\right)
$$

Note the use of eps to prevent overflow if $f$ has any 0 values.

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$\mathrm{g}=1 . /(1+(100 . /($ double $(\mathrm{f})+\mathrm{eps})) . \wedge 20) ;$
>> imshow(f), figure, imshow(g);


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$\mathrm{g}=1 . /(1+(50 . /($ double $(\mathrm{f})+\mathrm{eps})) . \wedge 20) ;$
>> imshow(f), figure, imshow(g);


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$\mathrm{g}=1 . /(1+(150 . /($ double $(\mathrm{f})+\mathrm{eps})) . \wedge 20)$;
>> imshow(f), figure, imshow(g);


- Exercise:
the following matrix represents the pixels values of a 8-bit image ( r ) , apply thresholding transform assuming that the threshold $m=95$, find the resulting image pixel values.

Image ( $r$ )

| 110 | 120 | 90 | 130 |
| :--- | :--- | :--- | :--- |
| 91 | 94 | 98 | 200 |
| 90 | 91 | 99 | 100 |
| 82 | 96 | 85 | 90 |

Image (s)

function a2 $(x, s)$
$y=x$;
[m n]=size $(\mathrm{x})$;
for $\mathrm{i}=1$ :m
for $\mathrm{j}=1$ : n
if $x(i, j)>=s$
$y(i, j)=255$;
else $y(i, j)=0$;
end
end
end
figure, imshow( x );
figure, imshow(y);

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## نهاية المحاضرة

