

الشبكات العصبية

محاضرة 5

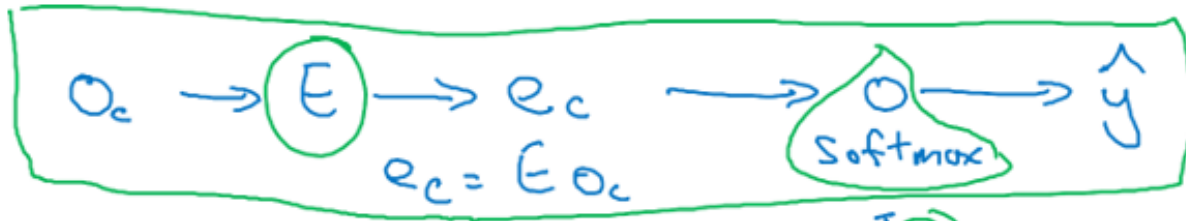
NLP and Word Embeddings

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Word2Vec

Model

Vocab size = 10,000k



Softmax: $p(t|c) = \frac{e^{\theta_t^T e_c}}{\sum_{j=1}^{10,000} e^{\theta_j^T e_c}}$

θ_t = parameter associated with output t

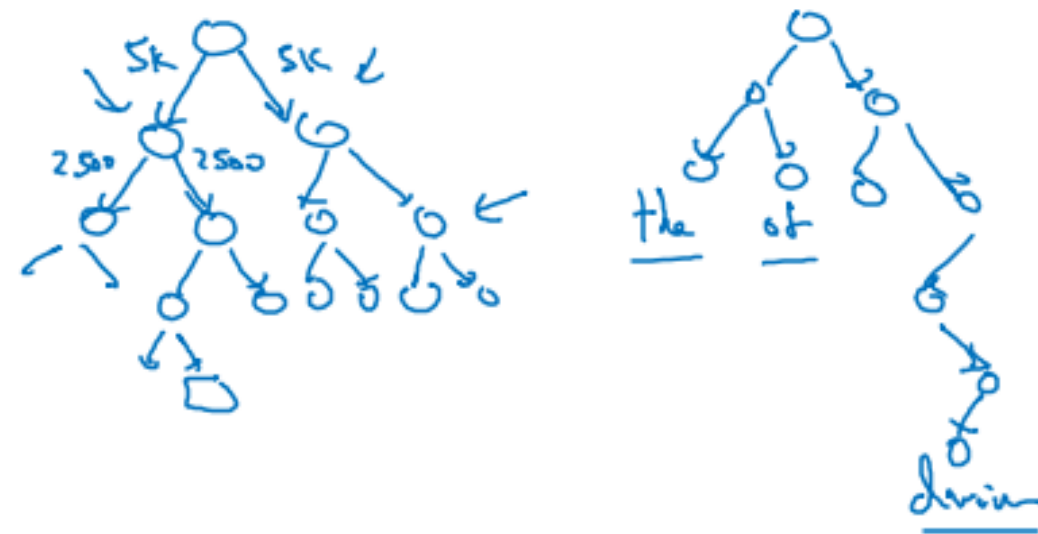
$\rightarrow \mathcal{L}(\hat{y}, y) = - \sum_{i=1}^{10,000} y_i \log \hat{y}_i$

$y = \begin{bmatrix} 0 \\ \vdots \\ 1 \\ \vdots \\ 0 \end{bmatrix} \leftarrow 4834$

Problems with softmax classification

$$p(t|c) = \frac{e^{\theta_t^T e_c}}{\sum_{j=1}^{10,000} e^{\theta_j^T e_c}}$$

Hierarchical Softmax

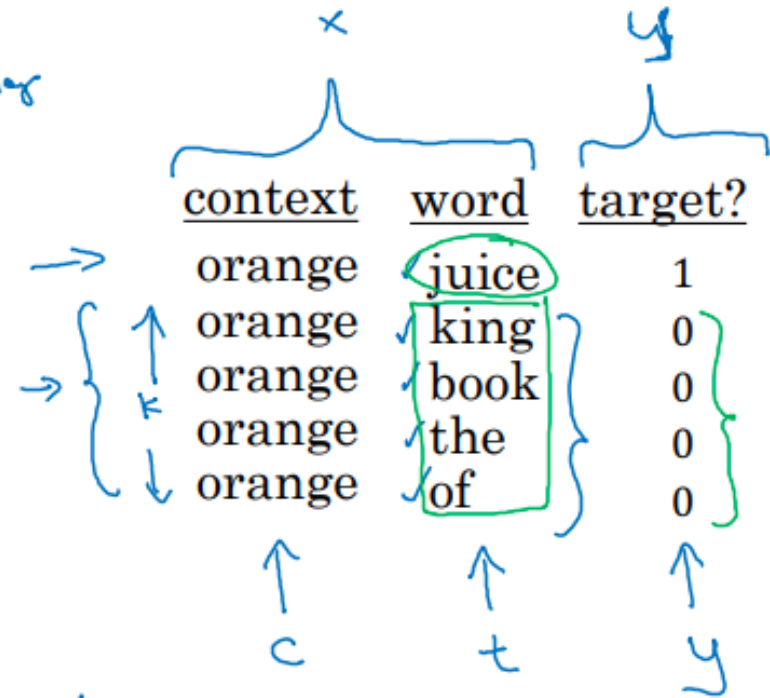


Negative sampling

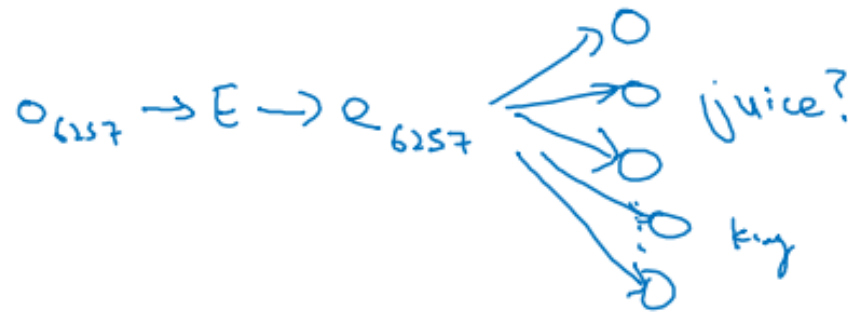
Model

Softmax:
$$p(t|c) = \frac{e^{\theta_t^T e_c}}{\sum_{j=1}^{10,000} e^{\theta_j^T e_c}}$$
 } 10,000-way softmax

$$P(y=1 | c, t) = \sigma(\Theta_t^T e_c) \leftarrow$$



Orange
6257



10,000

10,000 binary
classification
problem

k+1

GloVe word vectors

GloVe (global vectors for word representation)



I want a glass of orange juice to go along with my cereal



c, t

X_{ij} = # times i appears in context of j .

$\uparrow \uparrow \quad \uparrow \quad \uparrow$
 $c \quad t \quad t \quad c$

$$X_{ij} = X_{ji} \leftarrow$$

[Pennington et. al., 2014. GloVe: Global vectors for word representation]

Model

Minimize

$$\sum_{i=1}^{10,000} \sum_{j=1}^{10,000} f(x_{ij}) \left(\underbrace{\theta_i^T e_j}_{\substack{t \quad c \\ \text{"}\theta_t^T e_c\text{"}}} + b_i + b_j - \log x_{ij} \right)^2$$

weighting term

$f(x_{ij}) = 0$ at $x_{ij} = 0$.

$0 \log 0 = 0$

→ this, is, of, a, ...

→ derivation

Sentiment classification

Sentiment classification problem



The dessert is excellent.



Service was quite slow.



Good for a quick meal, but nothing special.



Completely lacking in good taste, good service,
and good ambience.

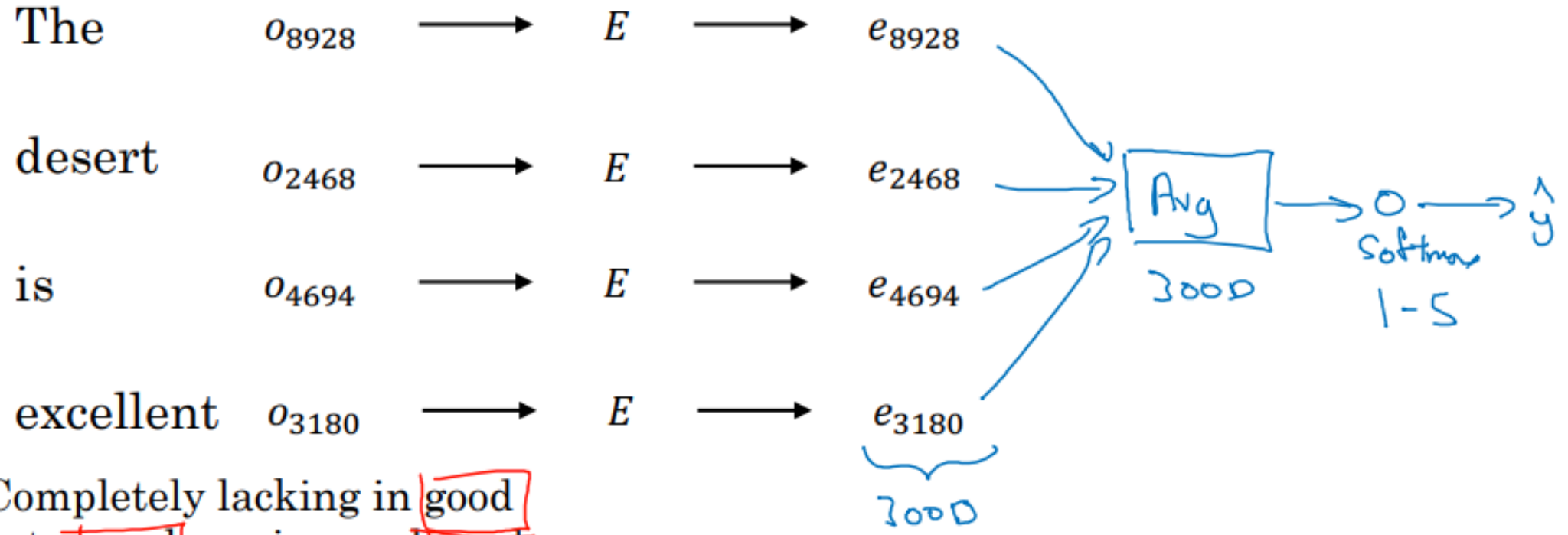


10,000 \rightarrow 100,000 words

Simple sentiment classification model

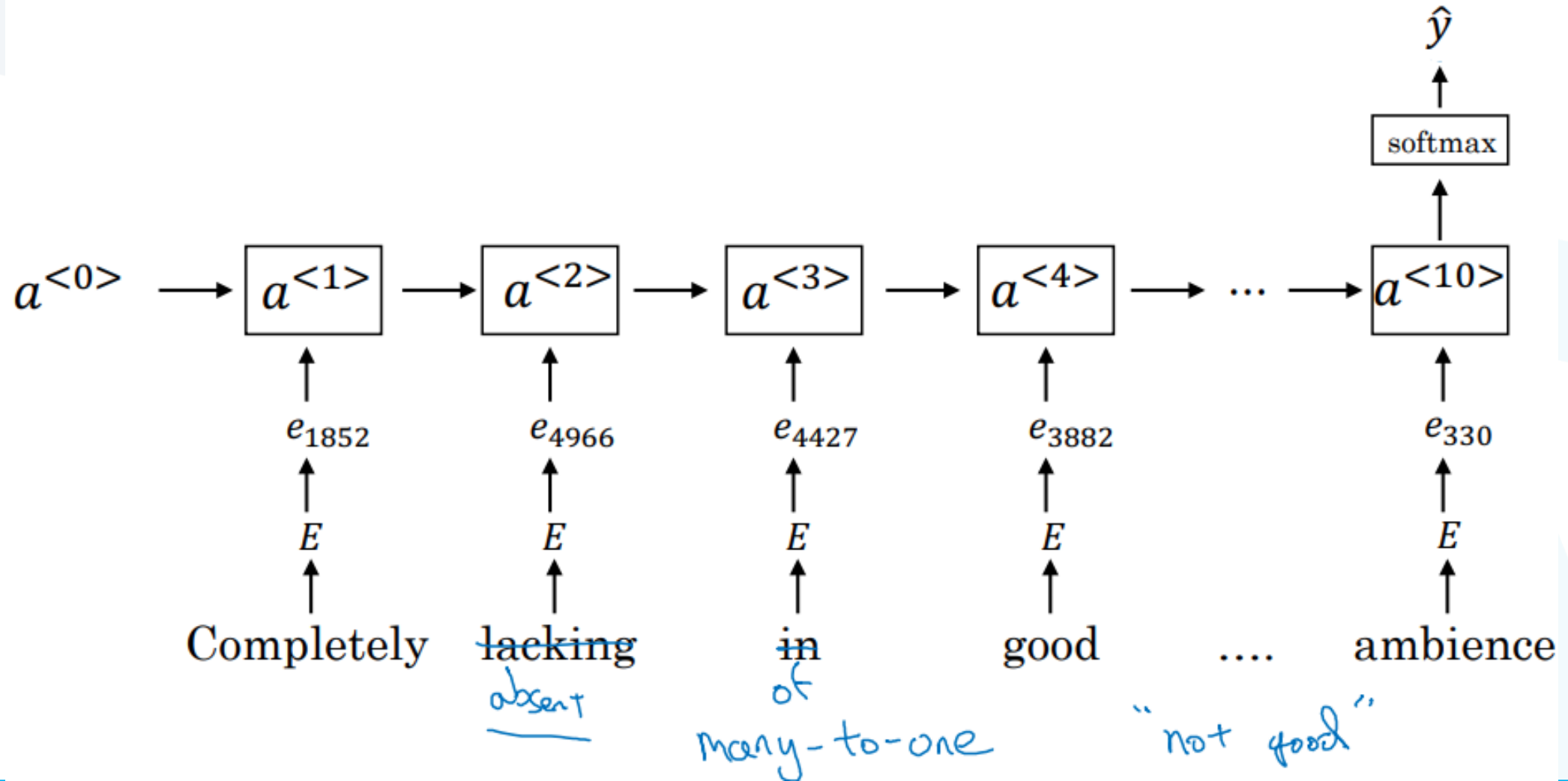


The dessert is excellent
 8928 2468 4694 3180



“Completely lacking in good taste, good service, and good ambience.”

RNN for sentiment classification



Debiasing word embeddings

The problem of bias in word embeddings



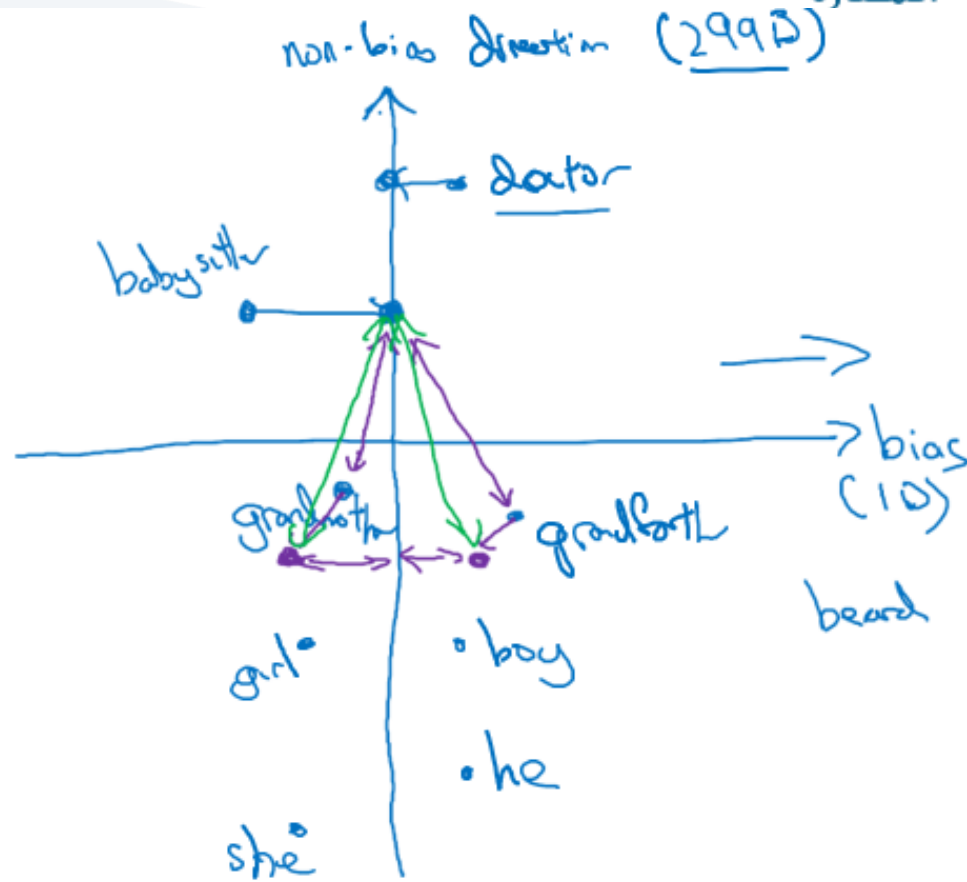
Man:Woman as King:Queen

Man:Computer_Programmer as Woman:

Father:Doctor as Mother:

Word embeddings can reflect gender, ethnicity, age, and other biases of the text used to train the model.

Addressing bias in word embeddings



1. Identify bias direction.

$$\begin{cases} e_{he} - e_{she} \\ e_{male} - e_{female} \\ \vdots \end{cases} \rightarrow \text{average}$$

2. Neutralize: For every word that is not definitional, project to get rid of bias.

3. Equalize pairs.

$$\rightarrow \left. \begin{matrix} \text{grandmother} & - & \text{grandfather} \\ \text{girl} & & \text{boy} \end{matrix} \right\}$$

[Bolukbasi et. al., 2016. Man is to computer programmer as woman is to homemaker? Debiasing word embeddings]

Sequence to sequence models

Basic models

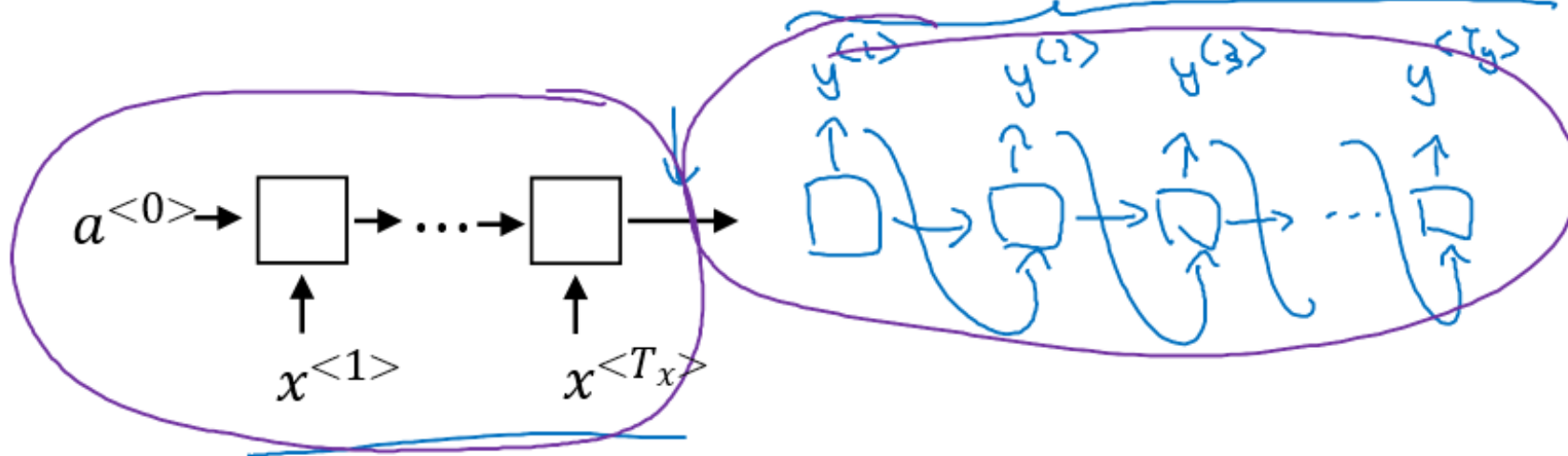
Sequence to sequence model



$x^{<1>}$ $x^{<2>}$ $x^{<3>}$ $x^{<4>}$ $x^{<5>}$
Jane visite l'Afrique en septembre

→ Jane is visiting Africa in September.

$y^{<1>}$ $y^{<2>}$ $y^{<3>}$ $y^{<4>}$ $y^{<5>}$ $y^{<6>}$

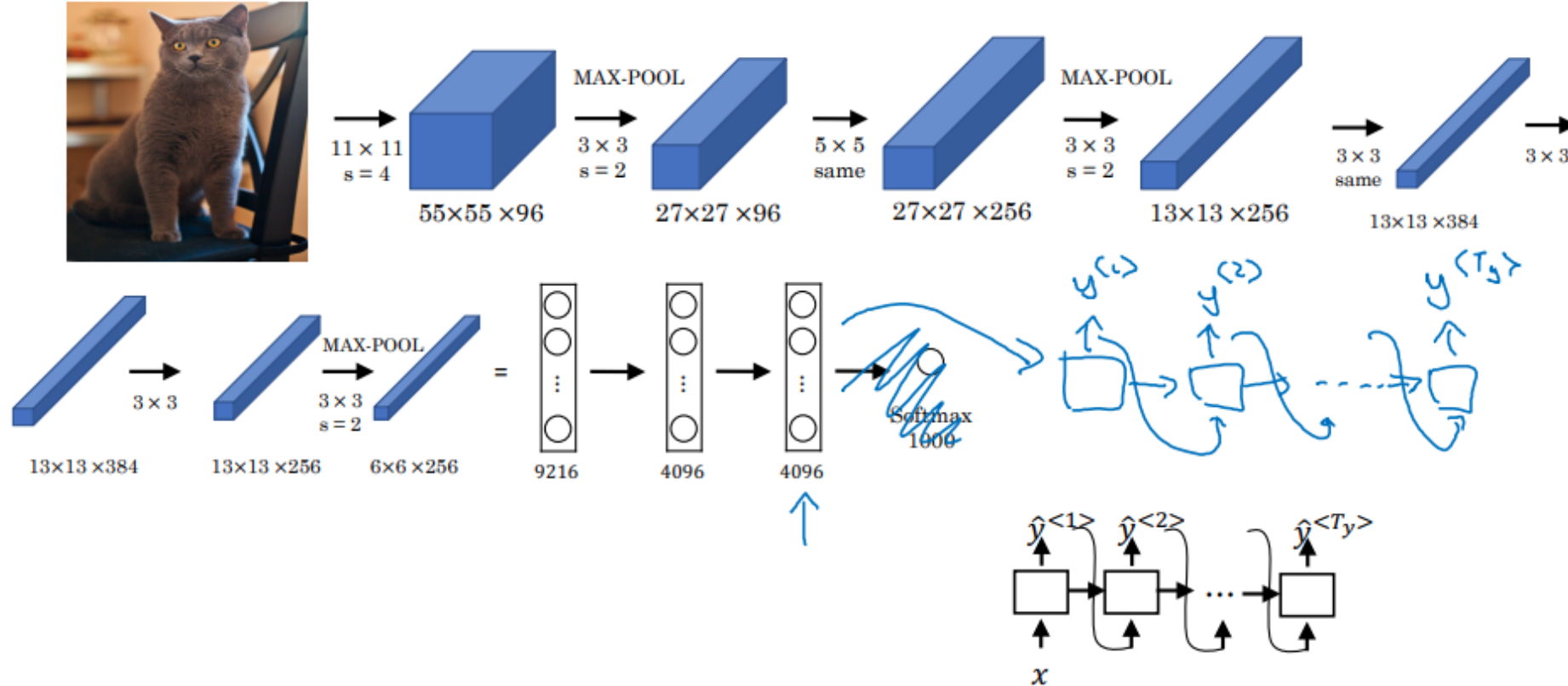


[Sutskever et al., 2014. Sequence to sequence learning with neural networks]

[Cho et al., 2014. Learning phrase representations using RNN encoder-decoder for statistical machine translation]

Image captioning

$y^{<1>} y^{<2>} y^{<3>} y^{<4>} y^{<5>} y^{<6>}$
A cat sitting on a chair



[Mao et. al., 2014. Deep captioning with multimodal recurrent neural networks]

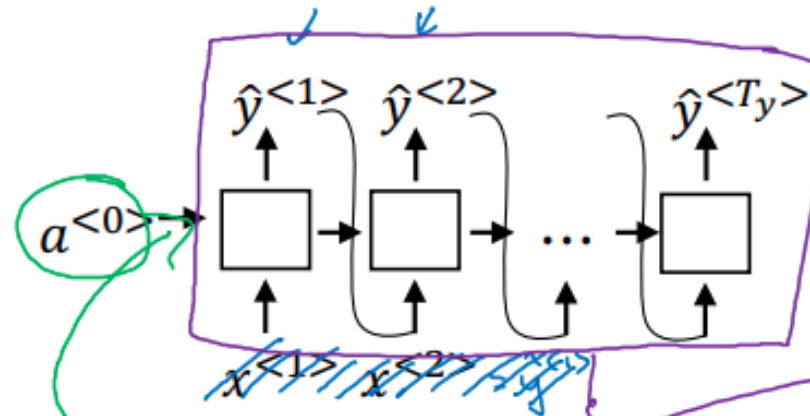
[Vinyals et. al., 2014. Show and tell: Neural image caption generator]

[Karpathy and Li, 2015. Deep visual-semantic alignments for generating image descriptions]

Picking the most Likely sentence

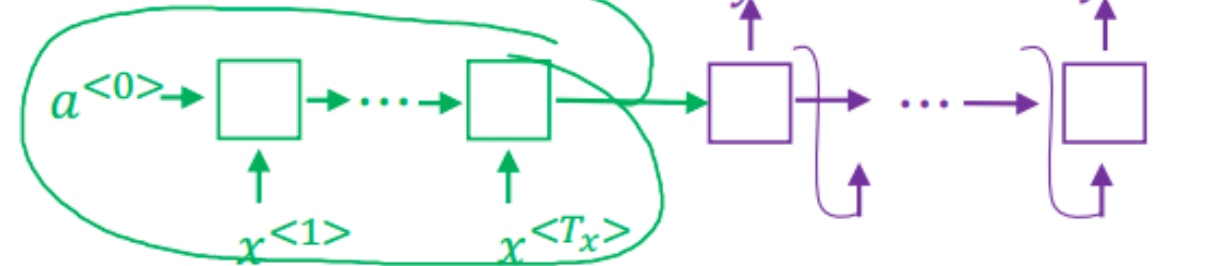
Machine translation as building a conditional language model

Language model:



$$P(y^{<1>}, \dots, y^{<T_y>})$$

Machine translation:



“Conditional language model”

$$P(y^{<1>}, \dots, y^{<T_y>} \mid \underline{x^{<1>}, \dots, x^{<T_x>}})$$

Finding the most likely translation



Jane visite l'Afrique en septembre.

$$P(y^{<1>}, \dots, y^{<T_y>} | x)$$

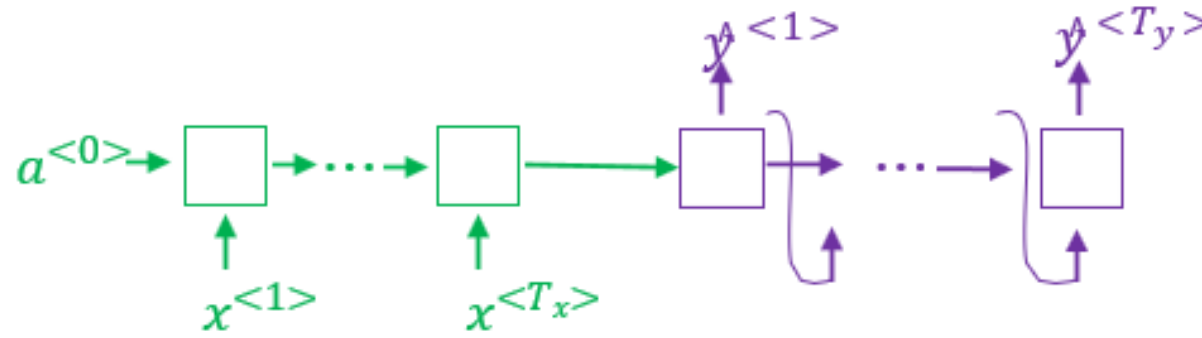
English

French

- Jane is visiting Africa in September.
- Jane is going to be visiting Africa in September.
- In September, Jane will visit Africa.
- Her African friend welcomed Jane in September.

$$\arg \max_{y^{<1>}, \dots, y^{<T_y>}} P(y^{<1>}, \dots, y^{<T_y>} | x)$$

Why not a greedy search?



$$\arg \max_y P(\hat{y}^{<1>}, \hat{y}^{<2>}, \dots, \hat{y}^{<T_y>} | x)$$

↓ ↓

→ Jane is visiting Africa in September.

↓ ↓ ↓

→ Jane is going to be visiting Africa in September.

$$P(\text{Jane is going} | x) > P(\text{Jane is visiting} | x)$$